



**NAMIBIA UNIVERSITY
OF SCIENCE AND TECHNOLOGY**

FACULTY OF HEALTH AND APPLIED SCIENCES

DEPARTMENT OF MATHEMATICS AND STATISTICS

QUALIFICATION: Bachelor of science ; Bachelor of science in Applied Mathematics and Statistics	
QUALIFICATION CODE: 07BSOC; 07BAMS	LEVEL: 6
COURSE CODE: FIM601S	COURSE NAME: FINANCIAL MATHEMATICS 2
SESSION: JULY 2019	PAPER: THEORY
DURATION: 3 HOURS	MARKS: 100

SUPPLEMENTARY/SECOND OPPORTUNITY EXAMINATION QUESTION PAPER	
EXAMINER	Dr A. S. EEGUNJOBI
MODERATOR:	Dr V. KATOMA

INSTRUCTIONS
<ol style="list-style-type: none">1. Answer ALL the questions in the booklet provided.2. Show clearly all the steps used in the calculations.3. All written work must be done in blue or black ink and sketches must be done in pencil.

PERMISSIBLE MATERIALS

1. Non-programmable calculator without a cover.

ATTACHMENTS

1. Actuarial table will be given

THIS QUESTION PAPER CONSISTS OF 3 PAGES (Including this front page)

QUESTION 1 [22marks]

1. (a) Suppose $a = (a_0, a_1, \dots, a_n)$ and $b = (b_0, b_1, \dots, b_n)$ are 2 cash-flow with $NPV(a) \geq NPV(b)$ at interest rate i per annum. Show that the cash-flow sequence a can be transform by investing and borrowing at rate i into a cash-flow sequence $c = (c_0, c_1, \dots, c_n)$ with $c_0 \geq b_0, c_1 \geq b_1, \dots, c_n \geq b_n$. (6)
- (b) The force of interest $\delta(t)$ is a function of time and at any time t , measured in years is given by

$$\delta(t) = \begin{cases} 0.04 + 0.01t; & \text{if } 0 \leq t \leq 4 \\ 0.12 - 0.01t; & \text{if } 4 < t \leq 8 \\ 0.06; & \text{if } 8 < t \end{cases}$$

Calculate the present value at time $t = 0$ if a payment stream, paid continuously from time $t = 9$ to $t = 12$, under which the rate of payment at time t is $50e^{0.01t}$. (8)

- (c) The force of interest $\delta(t)$ at time t (measured in year) is given by

$$\delta(t) = \begin{cases} 0.05; & \text{if } 0 < t < 8 \\ 0.04 + 0.0004t^2; & \text{if } 8 \leq t \leq 15 \end{cases}$$

Calculate the accumulated values at time $t = 15$ of a continuous payment stream of N\$50 per annum payable from time $t = 0$ to time $t = 8$. (8)

QUESTION 2 [25 marks]

2. (a) N\$2million certificate of deposit was issued on 17 January for 60 days with a 4.5% coupon. Hence it matures on 18 June. (5)
- What are the proceeds on maturity? (5)
 - On 4th March, what should the secondary market price be in order that the yield is then 4%? (5)
 - Suppose the Certificate of Deposit is purchased in the secondary market on 4th March for the price calculated in part (ii). By 4th April, the yield has dropped to 3.5%. What is the rate of return for holding the Certificate of Deposit from 4th March to 4th April? (Assume ACT/365.) (5)
- (b) At time 0, the value of a risk-free bond is $B_0 = 100$, and the stock price is $S_0 = 100$. Suppose that the annual risk-free interest rate is $r = 5\%$, and the one-year return on the stock is

$$r_S = \begin{cases} 10\%; & \text{with probability } 60\% \\ -5\%; & \text{with probability } 40\% \end{cases}$$

- i. Find position x and y so that the wealth $\Pi_t = xS_t + yB_t$ of the portfolio (x, y) at time $t = T$ is

$$\Pi_T = \begin{cases} \text{N\$1000}; & \text{if the stock price goes up} \\ \text{N\$1500}; & \text{if the stock price goes down} \end{cases} \quad (5)$$

- ii. What is the expected return of the portfolio over the first year? (5)

QUESTION 3 [30 marks]

3. (a) Consider a 12-month long forward contract on a stock currently priced at $N\$90$. The risk-free interest rate is 7% per annum, compounded continuously. Suppose that dividend payments of $N\$8$ per share are expected after 4 months and $N\$7$ after 8 months.
- i. Determine the forward price at time 0. (5)
 - ii. What is the value of this forward contract 6 months from now if the stock price at that time is $N\$95$? (6)
 - iii. Suppose that the value of this forward contract 6 months from now is $N\$5$. Determine whether there is an arbitrage opportunity. If one exists in this situation, construct an arbitrage portfolio and find the profit realized. (5)
- (b) i. Consider a European call option on a non-dividend-paying stock where the stock price is $N\$40$, the strike price is $N\$40$, the risk-free rate is 4% per annum, the volatility is 30% per annum, and the time to maturity is 6 months. Calculate u , d , and p for the two-step tree. (7)
- ii. Calculate u , d , and p for the two-step tree for America put option on a future contract with strike price and future price of $N\$50$, the risk-free rate is 10%, the time to maturity is 6 months, and the volatility is 40% per annum. (7)

QUESTION 4 [23 marks]

4. (a) A loan of $N\$5,000$ is repaid by an annuity payable annually in arrears for 12 years calculated at effective rate of interest of 8% per annum. Find the element in the 5th payment. (7)
- (b) A customer borrows 4,000 under a consumer credit loan. Repayments are calculated to give an APR of 15%. Instalments are paid monthly in arrears for 5 years. Calculate the flat rate of interest. (6)
- (c) An insurance company issues an annuity of $N\$10,000$ p.a. payable monthly in arrear for 20 years. The cost of the annuity is calculated using effective rate of interest of 10% p.a.
- i. Calculate the interest component of the first instalment of of the sixth year of the annuity. (5)
 - ii. Calculate the capital and interest paid in the first 5 years. (5)

End of Exam!

ACTUARIAL TABLES

COMPOUND INTEREST TABLES

4 per cent

Function	Value	n	$(1+i)^n$	v^n	$s_{\overline{n} i}$	$\ddot{s}_{\overline{n} i}$	$(\ddot{s}_{\overline{n} i})^{-1}$	n
Function	Value	n	$(1+i)^n$	v^n	$s_{\overline{n} i}$	$\ddot{s}_{\overline{n} i}$	$(\ddot{s}_{\overline{n} i})^{-1}$	n
f	-0.40000	1	1.04000	0.96154	1.00000	0.96154	1.04000	1
$f^{(2)}$	-0.39008	2	1.08161	0.92456	2.04000	1.88611	0.530196	2
$f^{(3)}$	-0.38114	3	1.12486	0.88900	3.12160	2.77511	0.360349	3
$f^{(4)}$	-0.37414	4	1.16980	0.85480	4.24650	3.62929	0.2725490	4
$f^{(5)}$	-0.36814	5	1.21643	0.82193	5.41030	4.45110	0.2246227	5
δ	-0.39221	6	1.26532	0.79031	6.61330	5.24211	0.190762	6
$(1+i)^{\frac{1}{2}}$	1.019804	7	1.31597	0.75982	7.85830	6.00121	0.166610	7
$(1+i)^{\frac{1}{3}}$	1.009853	8	1.36851	0.73049	9.14740	6.72432	0.148013	8
$(1+i)^{\frac{1}{4}}$	1.003274	9	1.42282	0.70229	10.47410	7.40133	0.134209	9
i	0.04000	10	1.47890	0.67516	11.84260	8.03010	0.123291	10
i^2	-0.00160	11	1.53680	0.64900	13.25000	8.61900	0.114440	11
i^3	-0.00064	12	1.59650	0.62380	14.69500	9.16950	0.106550	12
i^4	-0.00026	13	1.65800	0.59950	16.17500	9.68300	0.099400	13
i^5	-0.00010	14	1.72130	0.57600	17.68800	10.16800	0.092900	14
i^6	-0.00004	15	1.78650	0.55320	19.23200	10.62500	0.087000	15
i^7	-0.00002	16	1.85360	0.53110	20.80600	11.05600	0.081700	16
d	-0.38462	17	1.92260	0.50970	22.41000	11.46200	0.076900	17
$d^{(2)}$	-0.38839	18	1.99360	0.48890	24.04400	11.84500	0.072500	18
$d^{(3)}$	-0.39229	19	2.06670	0.46870	25.70800	12.20700	0.068400	19
$d^{(4)}$	-0.39637	20	2.14190	0.44910	27.40200	12.54900	0.064500	20
$d^{(5)}$	-0.40062	21	2.21930	0.43010	29.12600	12.87200	0.060800	21
$d^{(6)}$	-0.40504	22	2.29890	0.41170	30.88000	13.17800	0.057300	22
$d^{(7)}$	-0.40963	23	2.38080	0.39390	32.66400	13.46800	0.054000	23
$d^{(8)}$	-0.41439	24	2.46500	0.37670	34.47800	13.74300	0.050900	24
$d^{(9)}$	-0.41932	25	2.55160	0.36010	36.31200	14.00400	0.048000	25
$d^{(10)}$	-0.42442	26	2.64060	0.34410	38.16600	14.25200	0.045300	26
$d^{(11)}$	-0.42968	27	2.73210	0.32870	40.04000	14.48800	0.042800	27
$d^{(12)}$	-0.43510	28	2.82610	0.31390	41.93400	14.71300	0.040500	28
$d^{(13)}$	-0.44068	29	2.92270	0.29970	43.84800	14.92800	0.038300	29
$d^{(14)}$	-0.44642	30	3.02190	0.28610	45.78200	15.13400	0.036200	30
$d^{(15)}$	-0.45232	31	3.12380	0.27310	47.73600	15.33200	0.034200	31
$d^{(16)}$	-0.45838	32	3.22840	0.26070	49.71000	15.52300	0.032300	32
$d^{(17)}$	-0.46460	33	3.33580	0.24890	51.70400	15.70800	0.030500	33
$d^{(18)}$	-0.47098	34	3.44610	0.23770	53.71800	15.88800	0.028800	34
$d^{(19)}$	-0.47752	35	3.55940	0.22710	55.75200	16.06400	0.027200	35
$d^{(20)}$	-0.48422	36	3.67580	0.21710	57.80600	16.23700	0.025700	36
$d^{(21)}$	-0.49108	37	3.79540	0.20770	59.88000	16.40800	0.024300	37
$d^{(22)}$	-0.49810	38	3.91830	0.19890	61.97400	16.57800	0.023000	38
$d^{(23)}$	-0.50528	39	4.04460	0.19070	64.08800	16.74800	0.021800	39
$d^{(24)}$	-0.51262	40	4.17440	0.18310	66.22200	16.91800	0.020700	40
$d^{(25)}$	-0.52012	41	4.30780	0.17610	68.37600	17.08800	0.019700	41
$d^{(26)}$	-0.52778	42	4.44490	0.16970	70.55000	17.25800	0.018800	42
$d^{(27)}$	-0.53560	43	4.58580	0.16390	72.74400	17.42800	0.018000	43
$d^{(28)}$	-0.54358	44	4.73060	0.15870	74.95800	17.59800	0.017300	44
$d^{(29)}$	-0.55172	45	4.87940	0.15410	77.19200	17.76800	0.016700	45
$d^{(30)}$	-0.56002	46	5.03230	0.15000	79.44600	17.93800	0.016200	46
$d^{(31)}$	-0.56848	47	5.18940	0.14640	81.72000	18.10800	0.015800	47
$d^{(32)}$	-0.57710	48	5.35080	0.14330	84.01400	18.27800	0.015400	48
$d^{(33)}$	-0.58588	49	5.51660	0.14070	86.32800	18.44800	0.015100	49
$d^{(34)}$	-0.59482	50	5.68690	0.13860	88.66200	18.61800	0.014800	50
$d^{(35)}$	-0.60392	51	5.86180	0.13690	91.01600	18.78800	0.014600	51
$d^{(36)}$	-0.61318	52	6.04140	0.13560	93.39000	18.95800	0.014400	52
$d^{(37)}$	-0.62260	53	6.22580	0.13470	95.78400	19.12800	0.014300	53
$d^{(38)}$	-0.63218	54	6.41520	0.13410	98.19800	19.29800	0.014200	54
$d^{(39)}$	-0.64192	55	6.60970	0.13380	100.63200	19.46800	0.014200	55
$d^{(40)}$	-0.65182	56	6.80940	0.13380	103.08600	19.63800	0.014200	56
$d^{(41)}$	-0.66188	57	7.01440	0.13410	105.56000	19.80800	0.014300	57
$d^{(42)}$	-0.67210	58	7.22480	0.13470	108.05400	19.97800	0.014400	58
$d^{(43)}$	-0.68248	59	7.44080	0.13560	110.56800	20.14800	0.014600	59
$d^{(44)}$	-0.69302	60	7.66250	0.13670	113.10200	20.31800	0.014800	60
$d^{(45)}$	-0.70372	61	7.89000	0.13800	115.65600	20.48800	0.015100	61
$d^{(46)}$	-0.71458	62	8.12340	0.13950	118.23000	20.65800	0.015400	62
$d^{(47)}$	-0.72560	63	8.36280	0.14120	120.82400	20.82800	0.015800	63
$d^{(48)}$	-0.73678	64	8.60840	0.14310	123.43800	20.99800	0.016200	64
$d^{(49)}$	-0.74812	65	8.86040	0.14520	126.07200	21.16800	0.016700	65
$d^{(50)}$	-0.75962	66	9.11880	0.14750	128.72600	21.33800	0.017200	66
$d^{(51)}$	-0.77128	67	9.38380	0.15000	131.40000	21.50800	0.017800	67
$d^{(52)}$	-0.78310	68	9.65560	0.15270	134.09400	21.67800	0.018400	68
$d^{(53)}$	-0.79508	69	9.93440	0.15560	136.80800	21.84800	0.019100	69
$d^{(54)}$	-0.80722	70	10.22040	0.15870	139.54200	22.01800	0.019800	70
$d^{(55)}$	-0.81952	71	10.51380	0.16200	142.29600	22.18800	0.020500	71
$d^{(56)}$	-0.83198	72	10.81480	0.16550	145.07000	22.35800	0.021300	72
$d^{(57)}$	-0.84460	73	11.12360	0.16920	147.86400	22.52800	0.022100	73
$d^{(58)}$	-0.85738	74	11.44040	0.17310	150.67800	22.69800	0.023000	74
$d^{(59)}$	-0.87032	75	11.76540	0.17720	153.51200	22.86800	0.023900	75
$d^{(60)}$	-0.88342	76	12.09880	0.18150	156.36600	23.03800	0.024900	76
$d^{(61)}$	-0.89668	77	12.44080	0.18600	159.24000	23.20800	0.025900	77
$d^{(62)}$	-0.91010	78	12.79160	0.19070	162.13400	23.37800	0.027000	78
$d^{(63)}$	-0.92368	79	13.15140	0.19560	165.04800	23.54800	0.028100	79
$d^{(64)}$	-0.93742	80	13.52040	0.20070	168.08200	23.71800	0.029300	80
$d^{(65)}$	-0.95132	81	13.89880	0.20600	171.13600	23.88800	0.030500	81
$d^{(66)}$	-0.96538	82	14.28680	0.21150	174.21000	24.05800	0.031800	82
$d^{(67)}$	-0.97960	83	14.68460	0.21720	177.30400	24.22800	0.033100	83
$d^{(68)}$	-0.99398	84	15.09240	0.22310	180.41800	24.39800	0.034500	84
$d^{(69)}$	-1.00852	85	15.51040	0.22920	183.55200	24.56800	0.035900	85
$d^{(70)}$	-1.02322	86	15.93880	0.23550	186.70600	24.73800	0.037400	86
$d^{(71)}$	-1.03808	87	16.37700	0.24200	189.88000	24.90800	0.038900	87
$d^{(72)}$	-1.05310	88	16.82540	0.24870	193.07400	25.07800	0.040500	88
$d^{(73)}$	-1.06828	89	17.28440	0.25560	196.28800	25.24800	0.042100	89
$d^{(74)}$	-1.08362	90	17.75420	0.26270	199.52200	25.41800	0.043800	90
$d^{(75)}$	-1.09912	91	18.23500	0.27000	202.77600	25.58800	0.045500	91
$d^{(76)}$	-1.11478	92	18.72700	0.27750	206.05000	25.75800	0.047300	92
$d^{(77)}$	-1.13060	93	19.23040	0.28520	209.34400	25.92800	0.049100	93
$d^{(78)}$	-1.14658	94	19.74540	0.29310	212.65800	26.09800	0.051000	94
$d^{(79)}$	-1.16272	95	20.27220	0.30120	216.09200	26.26800	0.053000	95
$d^{(80)}$	-1.17902	96	20.81100	0.30950	219.54600	26.43800	0.055100	96
$d^{(81)}$	-1.19548	97	21.36200	0.31800	223.02000	26.60800	0.057300	97
$d^{(82)}$	-1.21210	98	21.92540	0.32670	226.51400	26.77800	0.059600	98
$d^{(83)}$	-1.22888	99	22.50160	0.33560	230.02800	26.94800	0.062000	99
$d^{(84)}$	-1.24582	100	23.09000	0.34470	233.56200	27.11800	0.064500	100

4 per cent

COMPOUND INTEREST TABLES

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ACTUARIAL TABLES

COMPOUND INTEREST TABLES

5 per cent

Function	Value	n	$(1+i)^n$	v^n	$s_{\overline{n} i}$	$a_{\overline{n} i}$	$(a_{\overline{n} i})^{-1}$	n
1	1.05000	1	1.05000	0.95238	1.00000	0.95238	1.05000	1
2	1.10250	2	1.10250	0.88702	2.05000	0.88702	1.10250	2
3	1.15763	3	1.15763	0.83450	3.15250	0.83450	1.15763	3
4	1.21551	4	1.21551	0.78353	4.31010	0.78353	1.21551	4
5	1.27628	5	1.27628	0.73395	5.52566	0.73395	1.27628	5
6	1.34010	6	1.34010	0.68572	6.80190	0.68572	1.34010	6
7	1.40710	7	1.40710	0.63874	8.14200	0.63874	1.40710	7
8	1.47746	8	1.47746	0.59291	9.54910	0.59291	1.47746	8
9	1.55133	9	1.55133	0.54816	11.02660	0.54816	1.55133	9
10	1.62889	10	1.62889	0.50441	12.57790	0.50441	1.62889	10
11	1.71034	11	1.71034	0.46156	14.20680	0.46156	1.71034	11
12	1.79586	12	1.79586	0.41951	15.91710	0.41951	1.79586	12
13	1.88565	13	1.88565	0.37816	17.71300	0.37816	1.88565	13
14	1.97993	14	1.97993	0.33741	19.59860	0.33741	1.97993	14
15	2.07893	15	2.07893	0.29716	21.57860	0.29716	2.07893	15
16	2.18287	16	2.18287	0.25741	23.65750	0.25741	2.18287	16
17	2.29202	17	2.29202	0.21816	25.84040	0.21816	2.29202	17
18	2.40662	18	2.40662	0.17941	28.13340	0.17941	2.40662	18
19	2.52693	19	2.52693	0.14116	30.54260	0.14116	2.52693	19
20	2.65330	20	2.65330	0.10341	33.08300	0.10341	2.65330	20
21	2.78606	21	2.78606	0.06616	35.77090	0.06616	2.78606	21
22	2.92556	22	2.92556	0.02941	38.61300	0.02941	2.92556	22
23	3.07215	23	3.07215	0.00316	41.61600	0.00316	3.07215	23
24	3.22628	24	3.22628	0.00041	44.80000	0.00041	3.22628	24
25	3.38835	25	3.38835	0.00016	47.72710	0.00016	3.38835	25
26	3.55877	26	3.55877	0.00001	51.11350	0.00001	3.55877	26
27	3.73694	27	3.73694	0.00000	54.66910	0.00000	3.73694	27
28	3.92320	28	3.92320	0.00000	58.40260	0.00000	3.92320	28
29	4.11804	29	4.11804	0.00000	62.32270	0.00000	4.11804	29
30	4.32194	30	4.32194	0.00000	66.43880	0.00000	4.32194	30
31	4.53504	31	4.53504	0.00000	70.76080	0.00000	4.53504	31
32	4.75749	32	4.75749	0.00000	75.29880	0.00000	4.75749	32
33	5.00039	33	5.00039	0.00000	80.06480	0.00000	5.00039	33
34	5.25353	34	5.25353	0.00000	85.06700	0.00000	5.25353	34
35	5.51692	35	5.51692	0.00000	90.32000	0.00000	5.51692	35
36	5.79066	36	5.79066	0.00000	95.83600	0.00000	5.79066	36
37	6.07585	37	6.07585	0.00000	101.62800	0.00000	6.07585	37
38	6.37259	38	6.37259	0.00000	107.70900	0.00000	6.37259	38
39	6.68088	39	6.68088	0.00000	114.09200	0.00000	6.68088	39
40	7.00072	40	7.00072	0.00000	120.79900	0.00000	7.00072	40
41	7.33220	41	7.33220	0.00000	127.83900	0.00000	7.33220	41
42	7.67543	42	7.67543	0.00000	135.23400	0.00000	7.67543	42
43	8.03051	43	8.03051	0.00000	142.99300	0.00000	8.03051	43
44	8.39755	44	8.39755	0.00000	151.14300	0.00000	8.39755	44
45	8.77665	45	8.77665	0.00000	159.70000	0.00000	8.77665	45
46	9.16790	46	9.16790	0.00000	168.68500	0.00000	9.16790	46
47	9.57140	47	9.57140	0.00000	178.11900	0.00000	9.57140	47
48	10.00000	48	10.00000	0.00000	188.02500	0.00000	10.00000	48
49	10.45470	49	10.45470	0.00000	198.42600	0.00000	10.45470	49
50	10.93650	50	10.93650	0.00000	209.34800	0.00000	10.93650	50
60	18.67919	60	18.67919	0.00000	353.88300	0.00000	18.67919	60
70	30.42643	70	30.42643	0.00000	588.52800	0.00000	30.42643	70
80	49.56144	80	49.56144	0.00000	971.22800	0.00000	49.56144	80
90	80.72037	90	80.72037	0.00000	1.5946030	0.00000	80.72037	90
100	131.50126	100	131.50126	0.00000	2.6100225	0.00000	131.50126	100

COMPOUND INTEREST TABLES

5 1/2 per cent

Function	Value	n	$(1+i)^n$	v^n	$s_{\overline{n} i}$	$a_{\overline{n} i}$	$(a_{\overline{n} i})^{-1}$	n
1	1.05625	1	1.05625	0.94787	1.00000	0.94787	1.05625	1
2	1.11563	2	1.11563	0.89848	2.05625	0.89848	1.11563	2
3	1.17824	3	1.17824	0.85162	3.16800	0.85162	1.17824	3
4	1.24419	4	1.24419	0.80722	4.34230	0.80722	1.24419	4
5	1.31358	5	1.31358	0.76513	5.58110	0.76513	1.31358	5
6	1.38651	6	1.38651	0.72505	6.88190	0.72505	1.38651	6
7	1.46309	7	1.46309	0.68684	8.25000	0.68684	1.46309	7
8	1.54343	8	1.54343	0.64941	9.68960	0.64941	1.54343	8
9	1.62764	9	1.62764	0.61361	11.20500	0.61361	1.62764	9
10	1.71583	10	1.71583	0.57931	12.80000	0.57931	1.71583	10
11	1.80811	11	1.80811	0.54641	14.47900	0.54641	1.80811	11
12	1.90459	12	1.90459	0.51481	16.24600	0.51481	1.90459	12
13	1.99537	13	1.99537	0.48451	18.10500	0.48451	1.99537	13
14	2.09055	14	2.09055	0.45541	20.06000	0.45541	2.09055	14
15	2.19023	15	2.19023	0.42741	22.11600	0.42741	2.19023	15
16	2.29451	16	2.29451	0.40041	24.27700	0.40041	2.29451	16
17	2.40349	17	2.40349	0.37441	26.54800	0.37441	2.40349	17
18	2.51727	18	2.51727	0.34941	28.93400	0.34941	2.51727	18
19	2.63605	19	2.63605	0.32541	31.43000	0.32541	2.63605	19
20	2.75993	20	2.75993	0.30241	34.04200	0.30241	2.75993	20
21	2.88901	21	2.88901	0.28041	36.77500	0.28041	2.88901	21
22	3.02339	22	3.02339	0.25941	39.64400	0.25941	3.02339	22
23	3.16317	23	3.16317	0.23941	42.65400	0.23941	3.16317	23
24	3.30845	24	3.30845	0.22041	45.81000	0.22041	3.30845	24
25	3.45933	25	3.45933	0.20241	49.11800	0.20241	3.45933	25
26	3.61591	26	3.61591	0.18541	52.58400	0.18541	3.61591	26
27	3.77829	27	3.77829	0.16941	56.21400	0.16941	3.77829	27
28	3.94657	28	3.94657	0.15441	60.01400	0.15441	3.94657	28
29	4.12085	29	4.12085	0.14041	64.00000	0.14041	4.12085	29
30	4.30113	30	4.30113	0.12741	68.17800	0.12741	4.30113	30
31	4.48741	31	4.48741	0.11541	72.55400	0.11541	4.48741	31
32	4.68069	32	4.68069	0.10441	77.13400	0.10441	4.68069	32
33	4.88107	33	4.88107	0.09441	81.92400	0.09441	4.88107	33
34	5.08855	34	5.08855	0.08541	86.93000	0.08541	5.08855	34
35	5.30313	35	5.30313	0.07741	92.15800	0.07741	5.30313	35
36	5.52491	36	5.52491	0.07041	97.61400	0.07041	5.52491	36
37	5.75399	37	5.75399	0.06441	103.30400	0.06441	5.75399	37
38	5.99047	38	5.99047	0.05941	109.24400	0.05941	5.99047	38
39	6.23445	39	6.23445	0.05541	115.44000	0.05541	6.23445	39
40	6.48593	40	6.48593	0.05241	121.90000	0.05241	6.48593	40
41	6.74491	41	6.74491	0.04941	128.63000	0.04941	6.74491	41
42	7.01139	42	7.01139	0.04641	135.64000	0.04641	7.01139	42
43	7.28547	43	7.28547	0.04341	142.94000	0.04341	7.28547	43
44	7.56715	44	7.56715	0.04041	150.54000	0.04041	7.56715	44
45	7.85643	45	7.85643	0.03741	158.46000	0.03741	7.85643	45
46	8.15341	46	8.15341	0.03441	166.71000	0.03441	8.15341	46
47	8.45809	47	8.45809	0.03141	175.30000	0.03141	8.45809	47
48	8.77047	48	8.77047	0.02841	184.24000	0.02841	8.77047	48
49	9.09055	49	9.09055	0.02541	193.54000	0.02541	9.09055	49
50	9.41843	50	9.41843	0.02241	203.21000	0.02241	9.41843	50
60	24.83977	60	24.83977	0.00000	433.45000	0.00000	24.83977	60
70	42.42922	70	42.42922	0.00000	753.27100	0.00000	42.42922	70
80	72.47643	80	72.47643	0.00000	1.299.57100	0.00000	72.47643	80
90	123.80021	90	123.80021	0.00000	2.232.73100	0.00000	123.80021	90
100	211.46864	100	211.46864	0.00000	3.826.70250	0.00000	211.46864	100

ACTUARIAL TABLES

COMPOUND INTEREST TABLES

6 per cent

Function	Value	n	$(1+i)^n$	v^n	s_n	a_n	$(a_n)^{-1}$	n
Constants								
$(1+i)$	1.06000	1	1.06000	0.94340	1.00000	0.94340	1.06000	1
$(1+i)^2$	1.12360	2	1.12360	0.89000	2.06000	1.83340	0.54347	2
$(1+i)^3$	1.19106	3	1.19106	0.84000	3.18360	2.72324	0.36514	3
$(1+i)^4$	1.26248	4	1.26248	0.79200	4.37424	3.66519	0.26850	4
$(1+i)^5$	1.33823	5	1.33823	0.74726	5.63777	4.61224	0.21396	5
$(1+i)^6$	1.41852	6	1.41852	0.70496	6.97523	5.61733	0.17335	6
$(1+i)^7$	1.50363	7	1.50363	0.66500	8.39388	6.68201	0.14036	7
$(1+i)^8$	1.59363	8	1.59363	0.62791	9.89975	7.81915	0.11308	8
$(1+i)^9$	1.68858	9	1.68858	0.59246	11.49900	9.03499	0.09026	9
$(1+i)^{10}$	1.79855	10	1.79855	0.55839	13.18808	7.36011	0.135868	10
v	0.943396	11	1.89830	0.52679	14.97161	7.88699	0.126793	11
v^2	0.891250	12	2.01220	0.49697	16.86099	8.38378	0.119277	12
v^3	0.841328	13	2.13293	0.46884	18.86211	8.83272	0.112960	13
v^4	0.793506	14	2.26990	0.44230	21.01525	9.29250	0.107585	14
v^5	0.747694	15	2.39058	0.41727	23.22600	9.71122	0.102903	15
v^6	0.703604	16	2.54603	0.39365	25.62725	10.10599	0.098952	16
v^7	0.660847	17	2.69277	0.37136	28.21299	10.47733	0.095445	17
v^8	0.619128	18	2.85434	0.35034	30.90577	10.82766	0.092357	18
v^9	0.578158	19	3.02260	0.33051	33.76000	11.15811	0.089621	19
v^{10}	0.537727	20	3.20714	0.31180	36.78566	11.46099	0.087185	20
v^{11}	0.497727	21	3.39956	0.29416	39.99277	11.74641	0.085005	21
v^{12}	0.458054	22	3.60354	0.27751	43.39233	12.00416	0.083046	22
v^{13}	0.419599	23	3.81975	0.26180	46.99588	12.23034	0.081278	23
v^{14}	0.382262	24	4.04849	0.24698	50.81566	12.43516	0.079679	24
v^{15}	0.345944	25	4.29187	0.23300	54.86845	12.78344	0.078227	25
v^{16}	0.310546	26	4.54938	0.21981	59.16424	13.00822	0.076904	26
v^{17}	0.275969	27	4.82232	0.20721	63.71299	13.20402	0.075692	27
v^{18}	0.242114	28	5.11169	0.19516	68.52811	13.37507	0.074593	28
v^{19}	0.208891	29	5.41839	0.18356	73.63982	13.52648	0.073598	29
v^{20}	0.176200	30	5.74349	0.17241	79.05822	13.76488	0.072649	30
$\log_{10}(1+i)$	0.0253059							

COMPOUND INTEREST TABLES

7 per cent

Function	Value	n	$(1+i)^n$	v^n	s_n	a_n	$(a_n)^{-1}$	n
Constants								
$(1+i)$	1.07000	1	1.07000	0.93458	1.00000	0.93458	1.07000	1
$(1+i)^2$	1.14490	2	1.14490	0.87140	2.07000	1.86600	0.53652	2
$(1+i)^3$	1.22503	3	1.22503	0.81000	3.14490	2.93750	0.33872	3
$(1+i)^4$	1.31074	4	1.31074	0.75000	4.22503	4.03000	0.24389	4
$(1+i)^5$	1.40145	5	1.40145	0.69125	5.31074	5.14000	0.19228	5
$(1+i)^6$	1.49758	6	1.49758	0.63363	6.40145	6.26500	0.15766	6
$(1+i)^7$	1.59953	7	1.59953	0.57700	7.50145	7.40500	0.13300	7
$(1+i)^8$	1.70770	8	1.70770	0.52125	8.61490	8.56000	0.11600	8
$(1+i)^9$	1.82253	9	1.82253	0.46638	9.74490	9.73000	0.10300	9
$(1+i)^{10}$	1.94440	10	1.94440	0.41225	10.89490	10.91500	0.09150	10
v	0.93458	11	2.07293	0.35875	12.06990	12.11500	0.08150	11
v^2	0.87140	12	2.21293	0.30600	13.26990	13.24000	0.07250	12
v^3	0.81000	13	2.36493	0.25400	14.49490	14.38500	0.06450	13
v^4	0.75000	14	2.52993	0.20275	15.74490	15.54500	0.05750	14
v^5	0.69125	15	2.70743	0.15200	17.01990	16.71500	0.05150	15
v^6	0.63363	16	2.89793	0.10175	18.31990	17.89500	0.04650	16
v^7	0.57700	17	3.10293	0.05100	19.64490	19.08500	0.04250	17
v^8	0.52125	18	3.32293	0.00025	21.09490	20.28500	0.03950	18
v^9	0.46638	19	3.55793	0.00000	22.66990	21.49500	0.03750	19
v^{10}	0.41225	20	3.80793	0.00000	24.36990	22.71500	0.03650	20
v^{11}	0.35875	21	4.07293	0.00000	26.19490	23.94500	0.03650	21
v^{12}	0.30600	22	4.35293	0.00000	28.14490	25.18500	0.03750	22
v^{13}	0.25400	23	4.64793	0.00000	30.21990	26.43500	0.03950	23
v^{14}	0.20275	24	4.95793	0.00000	32.41990	27.69500	0.04250	24
v^{15}	0.15200	25	5.28293	0.00000	34.74490	28.96500	0.04650	25
v^{16}	0.10175	26	5.62293	0.00000	37.19490	30.24500	0.05150	26
v^{17}	0.05100	27	5.97793	0.00000	39.76990	31.53500	0.05750	27
v^{18}	0.00025	28	6.34793	0.00000	42.46990	32.83500	0.06450	28
v^{19}	0.00000	29	6.73293	0.00000	45.29490	34.14500	0.07250	29
v^{20}	0.00000	30	7.13293	0.00000	48.23490	35.46500	0.08150	30
$\log_{10}(1+i)$	0.0293838							

ACIYANA TABLES

8 per cent

COMPOUND INTEREST TABLES

Function	Value	n	(1+i) ⁿ	v ⁿ	s _n	a _n	(a _n) ⁻¹	n
Constants								
f	1.080000	1	1.080000	0.925926	1.000000	0.925926	1.080000	1
f(1)	1.166400	2	1.166400	0.857339	2.160000	1.716418	0.583490	2
f(2)	1.259712	3	1.259712	0.797193	3.246400	2.517114	0.397326	3
f(3)	1.360441	4	1.360441	0.744371	4.506100	3.312111	0.302104	4
f(4)	1.469706	5	1.469706	0.697503	5.986600	3.992716	0.250456	5
f(5)	1.588687	6	1.588687	0.656017	7.733500	4.622910	0.216315	6
f(6)	1.717382	7	1.717382	0.619349	9.792200	5.206408	0.187215	7
f(7)	1.856999	8	1.856999	0.587075	12.148700	5.746616	0.162015	8
f(8)	2.007744	9	2.007744	0.558819	14.886600	6.246616	0.140029	9
f(9)	2.180022	10	2.180022	0.534019	18.048600	6.710111	0.120015	10
f(10)	2.374244	11	2.374244	0.512348	21.644500	7.139011	0.102015	11
f(11)	2.591719	12	2.591719	0.493388	25.784500	7.531011	0.086015	12
f(12)	2.833026	13	2.833026	0.476817	30.580000	7.897511	0.071015	13
f(13)	3.099771	14	3.099771	0.462346	36.144900	8.240011	0.057015	14
f(14)	3.393564	15	3.393564	0.449784	42.600000	8.561511	0.044015	15
f(15)	3.716019	16	3.716019	0.438799	50.000000	8.865011	0.032015	16
f(16)	4.068844	17	4.068844	0.429119	58.400000	9.153511	0.021015	17
f(17)	4.453759	18	4.453759	0.420549	67.840000	9.428511	0.011015	18
f(18)	4.872484	19	4.872484	0.413017	78.360000	9.692511	0.002015	19
f(19)	5.326749	20	5.326749	0.406419	90.000000	9.947511	0.000015	20
f(20)	5.818374	21	5.818374	0.400649	102.840000	10.196011	0.000015	21
f(21)	6.349249	22	6.349249	0.395649	116.960000	10.430011	0.000015	22
f(22)	6.921374	23	6.921374	0.391317	132.440000	10.652011	0.000015	23
f(23)	7.536749	24	7.536749	0.387617	149.360000	10.865011	0.000015	24
f(24)	8.197474	25	8.197474	0.384517	167.800000	11.070011	0.000015	25
f(25)	8.906349	26	8.906349	0.381917	187.840000	11.268011	0.000015	26
f(26)	9.666274	27	9.666274	0.379717	209.560000	11.460011	0.000015	27
f(27)	10.480349	28	10.480349	0.377817	233.040000	11.647011	0.000015	28
f(28)	11.351774	29	11.351774	0.376217	258.360000	11.830011	0.000015	29
f(29)	12.283749	30	12.283749	0.374817	285.600000	12.010011	0.000015	30
f(30)	13.280374	31	13.280374	0.373617	314.840000	12.188011	0.000015	31
f(31)	14.346749	32	14.346749	0.372617	347.160000	12.364011	0.000015	32
f(32)	15.487074	33	15.487074	0.371817	382.640000	12.538011	0.000015	33
f(33)	16.806349	34	16.806349	0.371217	421.360000	12.710011	0.000015	34
f(34)	18.309774	35	18.309774	0.370817	463.440000	12.880011	0.000015	35
f(35)	19.993749	36	19.993749	0.370517	509.000000	13.048011	0.000015	36
f(36)	21.864774	37	21.864774	0.370317	558.240000	13.214011	0.000015	37
f(37)	23.929749	38	23.929749	0.370217	611.240000	13.378011	0.000015	38
f(38)	26.196774	39	26.196774	0.370217	668.000000	13.540011	0.000015	39
f(39)	28.673749	40	28.673749	0.370317	728.560000	13.700011	0.000015	40
f(40)	31.370774	41	31.370774	0.370517	793.040000	13.858011	0.000015	41
f(41)	34.297749	42	34.297749	0.370817	862.560000	14.014011	0.000015	42
f(42)	37.464774	43	37.464774	0.371217	937.240000	14.168011	0.000015	43
f(43)	40.881774	44	40.881774	0.371717	1018.000000	14.320011	0.000015	44
f(44)	44.560774	45	44.560774	0.372317	1105.040000	14.470011	0.000015	45
f(45)	48.503774	46	48.503774	0.373017	1200.400000	14.618011	0.000015	46
f(46)	52.813774	47	52.813774	0.373817	1305.160000	14.764011	0.000015	47
f(47)	57.494774	48	57.494774	0.374717	1420.400000	14.908011	0.000015	48
f(48)	62.551774	49	62.551774	0.375717	1547.160000	15.050011	0.000015	49
f(49)	68.000774	50	68.000774	0.376817	1686.400000	15.190011	0.000015	50
f(50)	73.847774	51	73.847774	0.378017	1839.240000	15.328011	0.000015	51
f(52)	82.400774	53	82.400774	0.379317	2006.640000	15.464011	0.000015	53
f(54)	91.800774	54	91.800774	0.380717	2189.600000	15.598011	0.000015	54
f(56)	102.150774	55	102.150774	0.382217	2388.160000	15.730011	0.000015	55
f(58)	113.560774	56	113.560774	0.383817	2603.360000	15.860011	0.000015	56
f(60)	126.130774	57	126.130774	0.385517	2836.160000	15.988011	0.000015	57
f(62)	139.960774	58	139.960774	0.387317	3087.600000	16.114011	0.000015	58
f(64)	155.150774	59	155.150774	0.389217	3358.800000	16.238011	0.000015	59
f(66)	171.800774	60	171.800774	0.391217	3650.800000	16.360011	0.000015	60
f(68)	189.920774	61	189.920774	0.393317	3964.560000	16.480011	0.000015	61
f(70)	209.620774	62	209.620774	0.395517	4301.160000	16.598011	0.000015	62
f(72)	231.000774	63	231.000774	0.397817	4671.600000	16.714011	0.000015	63
f(74)	254.170774	64	254.170774	0.399217	5077.040000	16.828011	0.000015	64
f(76)	279.240774	65	279.240774	0.400717	5519.440000	16.940011	0.000015	65
f(78)	306.320774	66	306.320774	0.402317	6000.800000	17.050011	0.000015	66
f(80)	335.520774	67	335.520774	0.404017	6523.160000	17.158011	0.000015	67
f(82)	366.940774	68	366.940774	0.405817	7088.560000	17.264011	0.000015	68
f(84)	400.680774	69	400.680774	0.407717	7700.000000	17.368011	0.000015	69
f(86)	436.840774	70	436.840774	0.409717	8369.560000	17.470011	0.000015	70
f(88)	475.520774	71	475.520774	0.411817	9099.240000	17.570011	0.000015	71
f(90)	516.820774	72	516.820774	0.414017	9892.000000	17.668011	0.000015	72
f(92)	560.840774	73	560.840774	0.416317	10760.800000	17.764011	0.000015	73
f(94)	608.680774	74	608.680774	0.418717	11718.560000	17.858011	0.000015	74
f(96)	660.440774	75	660.440774	0.421217	12768.160000	17.950011	0.000015	75
f(98)	716.220774	76	716.220774	0.423817	13912.760000	18.040011	0.000015	76
f(100)	776.120774	77	776.120774	0.426517	15165.440000	18.128011	0.000015	77
f(102)	840.340774	78	840.340774	0.429317	16539.200000	18.214011	0.000015	78
f(104)	909.000774	79	909.000774	0.432217	18047.040000	18.298011	0.000015	79
f(106)	983.220774	80	983.220774	0.435217	19702.800000	18.380011	0.000015	80
f(108)	1063.120774	81	1063.120774	0.438317	21520.400000	18.460011	0.000015	81
f(110)	1148.800774	82	1148.800774	0.441517	23514.000000	18.538011	0.000015	82
f(112)	1240.360774	83	1240.360774	0.444817	25699.560000	18.614011	0.000015	83
f(114)	1337.920774	84	1337.920774	0.448217	28081.160000	18.688011	0.000015	84
f(116)	1441.600774	85	1441.600774	0.451717	30673.760000	18.760011	0.000015	85
f(118)	1551.520774	86	1551.520774	0.455317	33492.400000	18.830011	0.000015	86
f(120)	1667.800774	87	1667.800774	0.459017	36553.160000	18.898011	0.000015	87
f(122)	1790.640774	88	1790.640774	0.462817	39870.800000	18.964011	0.000015	88
f(124)	1920.160774	89	1920.160774	0.466717	43460.400000	19.028011	0.000015	89
f(126)	2057.480774	90	2057.480774	0.470717	47338.000000	19.090011	0.000015	90
f(128)	2202.720774	91	2202.720774	0.474817	51518.560000	19.150011	0.000015	91
f(130)	2356.000774	92	2356.000774	0.479017	56017.160000	19.208011	0.000015	92
f(132)	2517.440774	93	2517.440774	0.483317	60850.800000	19.264011	0.000015	93
f(134)	2687.160774	94	2687.160774	0.487717	66045.440000	19.318011	0.000015	94
f(136)	2865.280774	95	2865.280774	0.492217	71617.040000	19.370011	0.000015	95
f(138)	3051.920774	96	3051.920774	0.496817	77581.600000	19.420011	0.000015	96
f(140)	3247.200774	97	3247.200774	0.501517	83955.160000	19.468011	0.000015	97
f(142)	3451.240774	98	3451.240774	0.506317	90754.760000	19.514011	0.000015	98
f(144)	3664.080774	99	3664.080774	0.511217	98007.400000	19.558011	0.000015	99
f(146)	3885.760774	100	3885.760774	0.516217	105842.000000	19.6000		

ACTUARIAL TABLES

COMPOUND INTEREST TABLES

10 per cent

Function	Constants	n	$(1+i)^n$	v^n	s_n	a_n	$(a_n)^{-1}$	n
i	10.000 000	1	1.100 000	0.909 091	1.000 000	1.000 000	1.000 000	1
$i^{(2)}$	10.250 000	2	1.210 000	0.826 445	2.100 000	1.735 439	0.576 190	2
$i^{(3)}$	10.476 188	3	1.331 000	0.751 311	3.310 000	2.486 690	0.402 115	3
$i^{(4)}$	10.684 455	4	1.464 000	0.683 011	4.641 000	3.169 929	0.315 471	4
$i^{(5)}$	10.875 690	5	1.610 511	0.620 927	6.105 100	3.790 828	0.263 797	5
δ	0.095 310	6	1.771 561	0.564 477	7.715 600	4.355 325	0.229 607	6
$i^{(6)}$	1.048 809	7	1.948 721	0.513 166	9.487 200	4.868 424	0.205 405	7
$i^{(7)}$	1.024 114	8	2.143 599	0.466 511	11.435 900	5.334 929	0.187 444	8
$i^{(8)}$	1.007 974	9	2.357 959	0.424 240	13.579 500	5.759 000	0.172 641	9
$(1+i)^{1/2}$	1.007 974	10	2.595 741	0.385 540	15.957 400	6.144 600	0.162 785	10
$(1+i)^{1/3}$	1.009 091	11	2.853 121	0.350 499	18.531 200	6.495 100	0.153 963	11
$(1+i)^{1/4}$	1.009 091	12	3.138 433	0.318 633	21.384 300	6.813 700	0.146 763	12
$(1+i)^{1/5}$	1.009 091	13	3.452 271	0.289 666	24.527 700	7.103 400	0.140 779	13
$(1+i)^{1/6}$	1.009 091	14	3.795 821	0.263 539	27.972 100	7.366 700	0.135 746	14
$(1+i)^{1/7}$	1.009 091	15	4.177 231	0.239 173	31.727 500	7.608 100	0.131 474	15
d	0.090 909	16	4.594 971	0.217 633	35.899 700	7.823 700	0.127 817	16
$d^{(2)}$	0.093 075	17	5.054 471	0.197 848	40.568 200	8.021 600	0.124 664	17
$d^{(3)}$	0.094 184	18	5.554 971	0.179 848	45.737 700	8.191 100	0.121 919	18
$d^{(4)}$	0.094 933	19	6.115 971	0.163 511	51.158 100	8.334 600	0.119 547	19
$d^{(5)}$	0.095 310	20	6.727 500	0.148 664	57.273 000	8.453 600	0.117 460	20
$i^{(1)}$	1.034 404	21	7.400 351	0.135 131	64.003 500	8.548 700	0.115 634	21
$i^{(2)}$	1.034 754	22	8.140 371	0.122 851	71.402 700	8.617 500	0.114 005	22
$i^{(3)}$	1.034 945	23	8.954 300	0.111 668	79.543 000	8.663 200	0.112 572	23
$i^{(4)}$	1.034 945	24	9.849 731	0.101 531	88.497 300	8.698 400	0.111 300	24
$i^{(5)}$	1.034 945	25	10.834 711	0.092 500	98.347 100	8.724 700	0.110 168	25
$i^{(6)}$	1.034 945	26	11.918 181	0.083 911	109.181 800	8.742 900	0.109 159	26
$i^{(7)}$	1.034 945	27	13.109 999	0.076 288	121.099 900	8.753 600	0.108 258	27
$i^{(8)}$	1.034 945	28	14.420 999	0.069 344	134.209 900	8.758 600	0.107 451	28
$i^{(9)}$	1.034 945	29	15.863 099	0.063 004	148.630 900	8.759 600	0.106 728	29
$i^{(10)}$	1.034 945	30	17.449 400	0.057 311	164.494 000	8.760 000	0.106 079	30
$i^{(11)}$	1.034 945	31	19.194 344	0.052 100	181.943 400	8.760 900	0.105 496	31
$i^{(12)}$	1.034 945	32	21.113 778	0.047 306	201.137 800	8.761 400	0.104 972	32
$i^{(13)}$	1.034 945	33	23.225 155	0.043 006	222.251 500	8.761 700	0.104 499	33
$i^{(14)}$	1.034 945	34	25.547 671	0.039 148	245.476 700	8.761 900	0.104 074	34
$i^{(15)}$	1.034 945	35	28.102 444	0.035 588	271.024 400	8.762 000	0.103 690	35
$i^{(16)}$	1.034 945	36	30.912 688	0.032 335	299.126 800	8.762 000	0.103 343	36
$i^{(17)}$	1.034 945	37	34.004 321	0.029 411	330.033 300	8.762 000	0.103 030	37
$i^{(18)}$	1.034 945	38	37.404 788	0.026 800	364.044 800	8.762 000	0.102 747	38
$i^{(19)}$	1.034 945	39	41.144 788	0.024 500	401.447 800	8.762 000	0.102 491	39
$i^{(20)}$	1.034 945	40	45.259 266	0.022 090	442.592 600	8.762 000	0.102 259	40
$i^{(21)}$	1.034 945	41	49.785 181	0.020 090	487.851 800	8.762 000	0.102 050	41
$i^{(22)}$	1.034 945	42	54.763 700	0.018 266	537.637 000	8.762 000	0.101 860	42
$i^{(23)}$	1.034 945	43	60.240 071	0.016 600	592.400 700	8.762 000	0.101 688	43
$i^{(24)}$	1.034 945	44	66.264 088	0.015 099	652.540 800	8.762 000	0.101 532	44
$i^{(25)}$	1.034 945	45	72.890 488	0.013 721	718.904 800	8.762 000	0.101 391	45
$i^{(26)}$	1.034 945	46	80.179 533	0.012 477	791.795 300	8.762 000	0.101 263	46
$i^{(27)}$	1.034 945	47	88.197 449	0.011 344	871.974 900	8.762 000	0.101 147	47
$i^{(28)}$	1.034 945	48	97.017 231	0.010 311	960.172 300	8.762 000	0.101 041	48
$i^{(29)}$	1.034 945	49	106.718 966	0.009 377	1.057.189 600	8.762 000	0.100 946	49
$i^{(30)}$	1.034 945	50	117.390 855	0.008 521	1.163.908 500	8.762 000	0.100 859	50
$i^{(31)}$	1.034 945	60	304.481 644	0.003 288	3.034.816 400	8.762 000	0.100 330	60
$i^{(32)}$	1.034 945	70	789.746 966	0.001 271	7.887.469 600	8.762 000	0.100 127	70
$i^{(33)}$	1.034 945	80	2.048.490 211	0.000 491	20.474.002 100	8.762 000	0.100 049	80
$i^{(34)}$	1.034 945	90	5.113.022 611	0.000 419	53.120.229 100	8.762 000	0.100 019	90
$i^{(35)}$	1.034 945	100	13.760.612 344	0.000 071	137.796.123 400	8.762 000	0.100 007	100

COMPOUND INTEREST TABLES

12 per cent

Function	Constants	n	$(1+i)^n$	v^n	s_n	a_n	$(a_n)^{-1}$	n
i	12.000 000	1	1.120 000	0.892 866	1.000 000	0.892 866	1.120 000	1
$i^{(2)}$	12.250 000	2	1.254 400	0.797 191	2.120 000	1.590 100	0.628 698	2
$i^{(3)}$	12.476 188	3	1.404 300	0.711 728	3.276 400	2.401 800	0.416 349	3
$i^{(4)}$	12.684 455	4	1.572 321	0.632 432	4.529 200	3.364 300	0.297 210	4
$i^{(5)}$	12.875 690	5	1.762 324	0.560 425	5.993 800	4.452 800	0.224 570	5
δ	1.048 809	6	1.974 821	0.496 633	7.681 200	5.743 200	0.172 326	6
$i^{(6)}$	1.048 809	7	2.215 968	0.441 848	9.604 400	7.201 300	0.138 863	7
$i^{(7)}$	1.048 809	8	2.492 008	0.394 881	11.775 700	8.943 400	0.111 819	8
$i^{(8)}$	1.048 809	9	2.795 885	0.353 977	14.215 000	10.912 600	0.091 544	9
$i^{(9)}$	1.048 809	10	3.105 855	0.318 977	16.954 200	13.164 800	0.075 884	10
$i^{(10)}$	1.048 809	11	3.428 555	0.287 488	20.054 600	15.748 700	0.063 452	11
$i^{(11)}$	1.048 809	12	3.763 499	0.259 171	24.133 100	18.744 600	0.053 343	12
$i^{(12)}$	1.048 809	13	4.121 499	0.233 622	29.292 600	22.229 700	0.045 000	13
$i^{(13)}$	1.048 809	14	4.503 499	0.210 622	35.662 600	26.349 700	0.038 343	14
$i^{(14)}$	1.048 809	15	4.911 499	0.189 622	43.372 600	31.259 700	0.033 229	15
$i^{(15)}$	1.048 809	16	5.347 499	0.170 622	52.602 600	37.092 600	0.029 143	16
$i^{(16)}$	1.048 809	17	5.813 499	0.153 622	63.632 600	44.002 600	0.025 697	17
$i^{(17)}$	1.048 809	18	6.309 499	0.138 622	76.662 600	52.402 600	0.023 229	18
$i^{(18)}$	1.048 809	19	6.835 499	0.125 622	92.192 600	62.802 600	0.021 429	19
$i^{(19)}$	1.048 809	20	7.391 499	0.114 622	110.002 600	75.402 600	0.020 143	20
$i^{(20)}$	1.048 809	21	7.977 499	0.105 622	130.602 600	90.402 600	0.019 143	21
$i^{(21)}$	1.048 809	22	8.593 499	0.098 622	154.402 600	108.402 600	0.018 229	22
$i^{(22)}$	1.048 809	23	9.239 499	0.093 622	182.002 600	130.402 600	0.017 429	23
$i^{(23)}$	1.048 809	24	9.915 499	0.089 622	214.002 600	156.402 600	0.016 729	24
$i^{(24)}$	1.048 809	25	10.621 499	0.086 622	251.002 600	186.402 600	0.016 143	25

log_a(1+i)

log_a(1+i)